

GCSE Maths – Ratio, Proportion and Rates of Change

Compound Growth and Decay

Worksheet

NOTES



SOLUTIONS



This worksheet will show you how to work out different types of compound growth and decay questions. Each section contains a **worked example**, a **question with hints** and then **questions for you to work through** on your own.

This work by [PMT Education](https://www.pmt.education) is licensed under [CC BY-NC-ND 4.0](https://creativecommons.org/licenses/by-nc-nd/4.0/)



Section A

Worked Example

The population of 250 rabbits in a field increases by 3% each year. How many rabbits will there be after 4 years?

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$.

$$N_0 = 250$$
$$t = 4$$

Step 2: Substitute into the formula to calculate the value of N .

$$N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$$

$$N = 250 \times \left(1 + \frac{3}{100}\right)^4$$

$$N = 250 \times 1.03^4 = 281.377 \dots$$

Step 3: Form a conclusion.

To the nearest whole number there will be 281 rabbits in the field after 4 years.

Guided Example

The population of a beehive is currently 2000, however due to some circumstances the population is increasing by 7% a year. What is the population of the beehive after 10 years to 3 significant figures?

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$.

Step 2: Substitute into the formula to calculate the value of N .

Step 3: Form a conclusion.



3. On Tuesday 30,000 people tested positive for Covid-19. The health secretary estimates the cases increases 4.7% a day. How many more people have test positive on Sunday than Tuesday?
4. In 2010, the population of trout in a fishery is 4000. In 2016, the new population is 5642. What is the population growth rate?



Section B

Worked Example

The population of 10,000 rabbits in a field decreases by 10% each year due to food shortages. How many rabbits will there be after 4 years?

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 - \frac{\text{percentage}}{100}\right)^n$.

$$N_0 = 10,000$$
$$t = 4$$

Step 2: Substitute into the formula to calculate the value of N

$$N = N_0 \times \left(1 - \frac{\text{percentage}}{100}\right)^n$$

$$N = 10,000 \times \left(1 - \frac{10}{100}\right)^4$$

$$N = 10,000 \times 0.9^4 = 6561$$

Step 3: Form a conclusion.

There will be 6561 rabbits in the field after 4 years.

Guided Example

The value of a gold necklace is depreciating at a rate of 0.04% a year. Currently it is worth £13,000. What will the value be after 7 years?

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 - \frac{\text{percentage}}{100}\right)^n$.

Step 2: Substitute into the equation to calculate the value of N .

Step 3: Form a conclusion.



Now it's your turn!

If you get stuck, look back at the worked and guided examples.

5. Water in a tank is leaking at a rate of 5.5% a second. The tank is filled up with 6 l of water. How much water is left after 8 seconds? Give your answer in millilitres.
6. A new car is bought for £15,000. It depreciates by 33% each year. Tim sells his car for the value after 3 years. How much did Tim lose?



7. A bouncy ball is thrown from a height of 5 m. It bounces at a height 4.5% less than the height before. How many bounces does it take for the ball to be under 1 m of height?
8. The value of a car depreciates at the rate x %. In 2020, the value is £21,000. In 2028, the value of the car is approximately £11,255. Find the value of x .



Section C

Worked Example

Hana deposits £800 in a bank that pays 4.5% compound interest a year. Work out the interest paid by the bank in 3 years.

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$.

$$N_0 = 800$$
$$t = 3$$

Step 2: Substitute into the formula to calculate the value of N .

$$N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$$

$$N = 800 \times \left(1 + \frac{4.5}{100}\right)^3$$

$$N = 800 \times 1.045^3 = 912.9329$$

Step 3: Calculate how much interest this is.

$$\text{Interest Paid} = \text{New} - \text{Original}$$

There will be £912.93 in Hana's bank account after 3 years.

Interest paid by the bank: £912.93 – £800 = £112.93

Step 3: Form a conclusion.

The interest paid by the bank in 3 years is £112.93.



Guided Example

Chloe loans £5500 from a bank where the cost of borrowing is 3% per year. Calculate the extra amount of compound interest Chloe pays in 6 years.

Step 1: Find values for N_0 and t for use in the formula $N = N_0 \times \left(1 + \frac{\text{percentage}}{100}\right)^n$.

Step 2: Substitute into the formula to calculate the value of N .

Step 3: Calculate how much interest this is.

$$\text{Interest Paid} = \text{New} - \text{Original}$$

Step 4: Form a conclusion.



Now it's your turn!

If you get stuck, look back at the worked and guided examples.

9. Ethan loans £700 from a bank where the cost of borrowing is 5% per year. Calculate the extra amount of compound interest Ethan pays in 2 years.

10. Rhea deposits £1150 in a bank that pays 4% compound interest a year. Work out the interest paid by the bank in 3 years.

11. Delaney loans £5800 from a bank where the cost of borrowing is 6.7% per year. Calculate the amount of compound interest Delaney pays in 10 years.

12. Maya deposits £756 in a bank that pays 2.3% compound interest a year. Work out the interest paid by the bank in 6 years.

